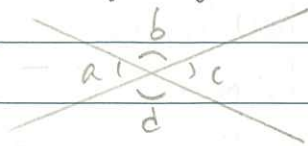


NT Ch 13 Check yourself,  $(\frac{20}{11}) + (\frac{1}{2})$

1a)



a and b are adjacent angles

a and c are vertical opposite angles

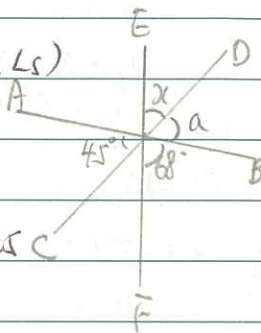
1b)  $\angle A = 45^\circ$  (vert. opp.  $\angle$ s)

$$x + 68 + 68 = 180$$

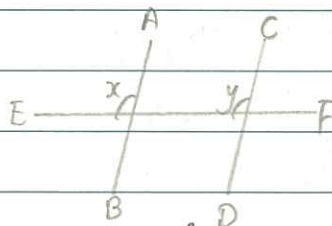
( $\angle$ s sum of  $\Delta$ )

$$x = 180 - 68 - 45$$

$$x = 67^\circ$$



2a



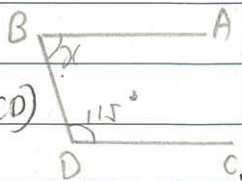
x and y is a pair of corresponding angles

2b)  $x + 115 = 180$

(co-ext.  $\angle$ s,  $AB \parallel CD$ )

$$x = (180 - 115)^\circ$$

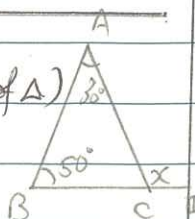
$$x = 65^\circ$$



3a

$$x = 30 + 50 \text{ (ext. } \angle \text{ of } \Delta)$$

$$x = 80^\circ$$

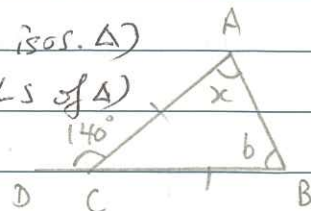


3b)  $b = x$  (base  $\angle$ s, isos.  $\Delta$ )

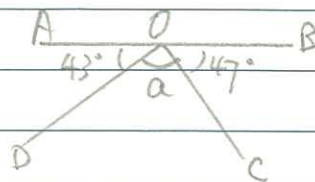
$$x + b = 140^\circ \text{ (ext. } \angle \text{ of } \Delta)$$

$$2x = 140^\circ$$

$$x = 70^\circ$$



4a) To prove  $\angle COD$  is  $90^\circ$



Proof:

Let  $\angle COD = a$   
 $\because AOB$  is a straight line (given)  
 $\therefore 43 + a + 47 = 180$  ( $\angle$ s on st. line)

$$a = 180 - 43 - 47$$

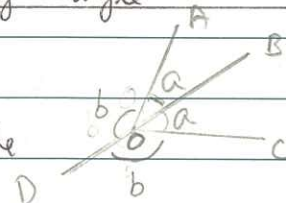
$$a = 180 - 90$$

$$a = 90$$

$\therefore \angle COD$  is a right angle

4b) To prove  $BOC$

is a straight line



Proof:

$$a + a + b + b = 360^\circ \text{ (}\angle \text{ at a pt.)}$$

$$2a + 2b = 360$$

$$2(a + b) = 360$$

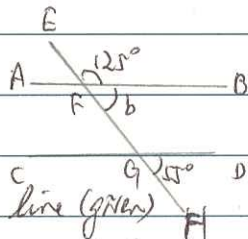
$$a + b = 180^\circ \text{ (adj. } \angle \text{s supp.)}$$

$\therefore a + b = 180^\circ$  (sum of adjacent  $\angle$ s equal  $180^\circ$ )

$\therefore DOB$  is a straight line

# NT Ch13 Check yourself (continue)

5a) To prove  $AB \parallel CD$



Proof:

$AFB$  is a straight line (given)

$$125^\circ + b = 180^\circ \text{ (Ls. on st. line)}$$

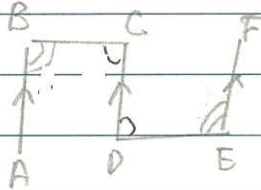
$$b = 180^\circ - 125^\circ$$

$$b = 55^\circ$$

$$\therefore b = 55^\circ \text{ (Corr. Ls eq.)}$$

$$\therefore AB \parallel CD$$

5b) To prove  $BC \parallel DE$



Proof:

$$\therefore AB \parallel CD \text{ (given)}$$

$$\therefore \angle CBA + \angle BCD = 180^\circ \text{ (Co-int. Ls, } \parallel \text{)}$$

$$\therefore CD \parallel EF \text{ (given)}$$

$$\therefore \angle CDE + \angle DEF = 180^\circ \text{ (Co-int. Ls, } \parallel \text{)}$$

Compare equation ① and ②

$$\Rightarrow \angle CBA + \angle BCD = \angle CDE + \angle DEF$$

$$\therefore \angle ABC = \angle DEF \text{ (given)}$$

$$\therefore \angle BCD = \angle CDE \text{ (alt. Ls, eq.)}$$

$$\therefore BC \parallel DE$$

6a) To prove  $x + y = z$

Proof:

$ADC$  is straight line (given)

$BE$  is straight line (given)

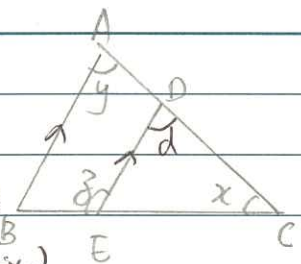
$\therefore ABC$  is a triangle

$$y = d \text{ (Corr. Ls, } AB \parallel DE \text{)} \text{ --- ①}$$

$$d + x = z \text{ (ext. Ls of } \Delta \text{)} \text{ --- ②}$$

Sub ① into ②

$$y + x = z$$



6b) To prove  $a + b + c = d$

Proof:

$BCDE$  is straight line (given)

$\therefore ABD$  is a triangle

$$a + b + c = d \text{ (ext. Ls of } \Delta \text{)}$$

OR

$$d + x = 180^\circ \text{ (Ls on st. line)} \text{ --- ①}$$

$$a + b + c + x = 180^\circ \text{ (Ls sum of } \Delta \text{)} \text{ --- ②}$$

$$\therefore ① = ②$$

$$a + b + c + x = d + x$$

$$\therefore a + b + c = d$$

